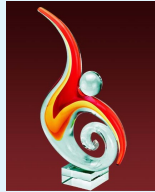# The Eurasian Association on Inverse Problems (EAIP) Introducing The 2020 EAIP Award Winners

Jan Boman

On Behalf of the EAIP Award Committee Members:
Alemdar Hasanov Hasanoglu, Bernd Hofmann,
Vladimir G. Romanov, Gen Nakamura, Andreas Neubauer

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   Otmar Scherzer, Austria

2020 EAIP Award Recipients

Andreas Kirsch
Germany

Roman Novikov
France

Masahiro Yamamoto
Japan

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5. His book entitled *An Introduction to the Mathematical Theory of Inverse Problems* (Springer 1996; 2nd edition 2011), became a standard work for introducing readers to the inverse problems.

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